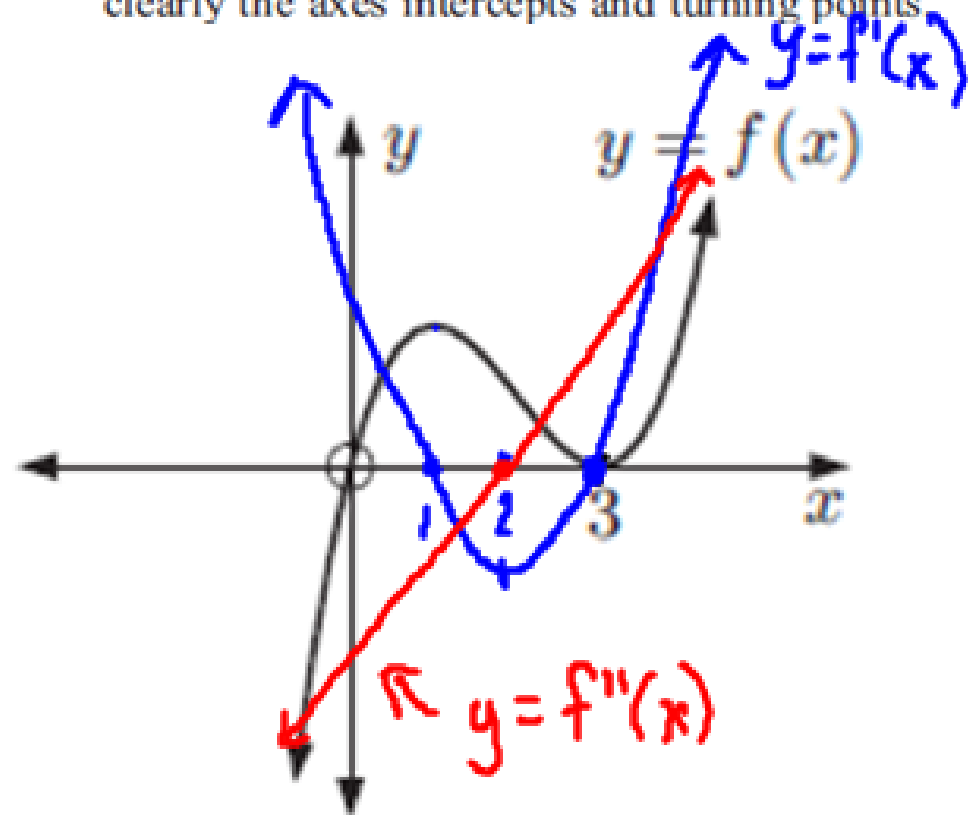


EXERCISE 16D.2

- 1 Using the graphs of $y = f(x)$ below, sketch the graphs of $y = f'(x)$ and $y = f''(x)$. Show clearly the axes intercepts and turning points.

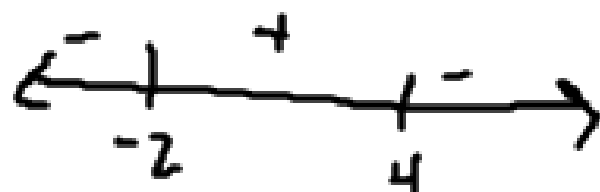
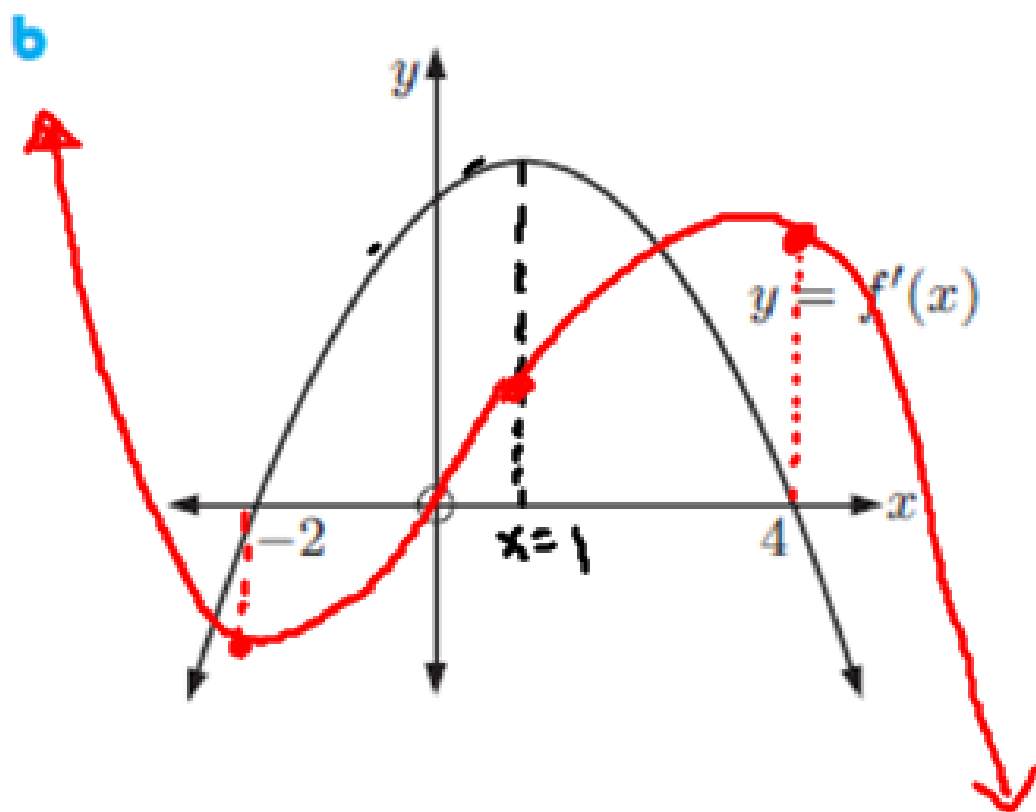


Power Rule $y = x^n$
 $y' = n \cdot x^{n-1}$
 $y'' = n(n-1)x^{n-2}$
 $y = f(x)$ is cubic
 y' is Quadratic
 y'' is linear

Slopes of the tangents
for $f'(x)$ will show
where function is \cup or \cap
the x-int of $f''(x)$ is
where $f'(x) = 0$
inflection pt.

- $f'(x)$ Slopes of tangent lines
- local max/min of $f(x)$ are the intercepts of the graph of $f'(x)$

- 2 For the graphs of $y = f'(x)$ below, sketch a graph which could be $y = f(x)$. Show clearly the location of any stationary points and points of inflection.



$f'(x)$ is quadratic
 $f(x)$ will be cubic

→ x-int of derivative function will tell us local max/min values
 $x = -2$ local min
 $x = 4$ local max

→ vertex of $f'(x)$ will tell us inflexion pt
 $x = 1$ will be an inf. pt
 $x \in (-\infty, 1)$ CU
 $x \in (1, \infty)$ CD

HW: Finish the questions in ch 16D
PROBE NEXT CLASS
ICA MOVED TO MONDAY & TUESDAY